## Unit 3 Notes

| Topic | Description | Example |
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| Ratios and <br> Proportions | 1) A ratio is a comparison of numbers and can be written as a <br> fraction, with "to", or with a " " | 1) $\frac{30 \text { hours }}{18 \text { hours }}$ <br> 30 hours to 18 hours <br> 30 hours: 18 hours |
|  | 2) A unit rate is a simplified ratio whose denominator is one. | 2) $\frac{\$ 16}{2 l b s}$ unit rate is $\frac{\$ 8}{1 l b}$ |
| Constant of <br> Proportionality | 1) Proportional relationships have a constant ratio, meaning the <br> ratios are equivalent fractions. | 1) $\frac{1}{2}$ is proportional to $\frac{2}{4}$ and 4 <br> $\frac{1}{2}$ is not proportional to $\frac{2}{3}$ |
| 2) The Constant of Proportionality is the unit rate. |  |  |


| Fractions, Decimals, and Percents | 1) To change a fraction to a decimal, divide the numerator by the denominator. <br> 2) To change a decimal to a \%, multiply by 100 . <br> 3) To change a \% to a decimal, divide by 100 . <br> 4) To change a decimal to a fraction, put the entire number over the last digit's place value. | 1) $\frac{2}{5}=2 \div 5=.4$ <br> 2) $.07=.07 \cdot 100=7 \%$ <br> 3) $6 \%=6 \div 100=.06$ <br> 4) $.09=\frac{9}{100}$ |
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| Solving <br> Percent <br> Proportions | A percent proportion compares two equal ratios. One ratio is a part of a quantity compared to the whole. The other is the equivalent percent compared to 100 . You cross multiply and then divide by the remaining number to solve the proportion. | What \% of 10 is 2 ? $\begin{aligned} & \frac{2}{10}=\frac{n}{100} \\ & 2 \cdot 100 \div 10=20 \% \end{aligned}$ |
| Solving <br> Percent Equations | Write an equation using clue words "is" and "of" Is means "equal" Of means "multiply" <br> *Remember when writing \% in an equation to change the number to a decimal first. | 18 is $45 \%$ of what number? $18=.45 \cdot n$ <br> Solve for n by dividing both sides by .45 . $\mathrm{n}=40$ |
| Percent Change | Find the difference between the two quantities. Then divide the difference by the original amount. Look at the original numbers and determine if the \% change was an increase or decrease. | $\$ 63$ shirt is on sale for $\$ 56$ $\begin{aligned} & (63-56) \div 63 \\ & 7 \div 63=.11 \text { or } 11 \% \text { decrease } \end{aligned}$ |
| Discount and sale price | 1) If you are asked to find the original price and you are given the \% off and sale price. Decide what \% you are paying (100-\% off). Set up an equation that shows the percent of the original price that you are paying. Then solve the equation. <br> 2) If you are given the \% off and the original price, you find the \% that you pay (100-\% off) and multiply that by the original price. | A shirt is on sale for $20 \%$ off. The sale price is $\$ 28$, what was the original price? <br> You pay $80 \%$ of the original price. $\begin{aligned} & .80 \cdot n=28 \\ & \$ 28 \div .80=\$ 35 \end{aligned}$ <br> 2) $A \$ 50$ dress is on sale for $25 \%$ off $.75 \cdot \$ 50=\$ 37.50$ |
| Tax, Tip, and Commission | Tax, tip, and commission are all added to the cost. If given the $\%$ tax, tip or commission, change the \% to a decimal and then multiply the cost by the decimal number. Now add this amount back to the cost. | Dinner costs $\$ 25.40$ and you want to leave an $18 \%$ tip. What would your total be for dinner and tip? $\begin{aligned} & \$ 25.40 \cdot .18=\$ 4.57 \\ & \$ 25.40+\$ 4.57=\$ 29.97 \end{aligned}$ <br> OR you could multiply 1.18 by the cost of dinner. $\$ 25.40 \cdot 1.18=\$ 29.97$ |
| Simple Interest | ```I = prt Interest ($ amount earned) Principal ($ amount deposited or borrowed) Rate (% earned... or ) Time (in years) Plug in the information you have and solve the equation for the missing information.``` | What is the interest rate if $\$ 150$ is invested for two years and earned \$18 simple interest? $\begin{aligned} & I=p r t \\ & 18=150 \cdot r \cdot 2 \\ & 18=300 r \\ & .06=r \end{aligned}$ <br> The interest rate is $6 \%$. |

